

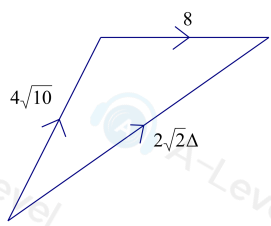
Q	Scheme			Marks	Notes
5a		Mass ratio	From $BC$	B1 B1	Mass ratios correct Vertical distances correct
	Large $\Delta$	60 (4)	$4a$		
	Small $\Delta$	15 (1)	$8a$		
	rectangle	15 (1)	$4.5a$		
	$T$	30 (2)	$\bar{y}$		
	Moments about $BC$			M1	Or a parallel axis. Signs correct for their split.
	$2\bar{y} = 16a - 8a - 4.5a = \frac{7}{2}a$			A1	Correct unsimplified equation
	$\bar{y} = \frac{7}{4}a$			A1	<b>Given Answer</b> Need to see a linear equation in $\bar{y}$
				(5)	
5b					
	$\bar{x} = 5a$ from $B$			B1	Or equivalent. Seen or implied Might be seen in (a) but needs to be used here.
	$\alpha = \tan^{-1} \left( \frac{\frac{5}{2}a}{6a - \bar{y}} \right)$			M1	Trig ratio of a relevant angle in a triangle involving the c of m
	$\theta = \alpha + \tan^{-1} \frac{5}{12}$			M1	Correct method to find the required angle e.g. $\theta = 180^\circ - \tan^{-1} \frac{6}{2.5} - \tan^{-1} \frac{6a - \bar{y}}{2.5a}$
	$= \tan^{-1} \frac{10}{17} + \tan^{-1} \frac{5}{12}$			A1	Correct unsimplified expression for $\theta$ seen
					$\tan^{-1} \frac{10}{17} = 30.46\dots, \tan^{-1} \frac{17}{10} = 59.5\dots,$ $\tan^{-1} \frac{5}{12} = 22.6\dots, \tan^{-1} \frac{12}{5} = 67.38\dots$
	$\theta = 53$			A1	Q asks for a whole number
				(5)	
					See over for alternatives

<b>5balt 1</b>	$\bar{x} = 5a$ from $B$	B1	Or equivalent. Seen or implied Might be seen in (a) but needs to be used here.
	Correct method to find all 3 sides of a triangle containing $\theta$ (or two sides of a right angled triangle containing $\theta$ )	M1	e.g.: $BO^2 = (5a)^2 + \left(\frac{7a}{4}\right)^2 = \frac{449}{16}a^2, AB^2 = \frac{169}{4}a^2$ $AO^2 = \left(\frac{5a}{2}\right)^2 + \left(6a - \frac{7a}{4}\right)^2 = \frac{389}{16}a^2$
	Correct method to find the required angle	M1	e.g. $\cos \theta = \frac{AB^2 + AO^2 - OB^2}{2AB \cdot AO}$
	Correct unsimplified expression in $\theta$	A1	( $\cos \theta = 0.60062$ )
	$\theta = 53$	A1	Q asks for a whole number
		(5)	
<b>5balt 2</b>	$\bar{x} = 5a$ from $B$	B1	Or equivalent. Seen or implied Might be seen in (a) but needs to be used here.
	If $O$ is c of m, $\overrightarrow{AB} = \begin{pmatrix} -2.5a \\ -6a \end{pmatrix}, \overrightarrow{AO} = \begin{pmatrix} 2.5a \\ -4.25a \end{pmatrix}$	M1	Expressions for $\overrightarrow{AB}$ and $\overrightarrow{AO}$
	Use of scalar product to find $\cos \theta$	M1	
	$\cos \theta = \frac{\overrightarrow{AB} \cdot \overrightarrow{AO}}{ \overrightarrow{AB}  \cdot  \overrightarrow{AO} } = \frac{-6.25 + 25.5}{\frac{13}{2} \times \frac{\sqrt{389}}{4}}$	A1	Correct unsimplified expression for $\cos \theta$
	$\theta = 53$	A1	Q asks for a whole number
		(5)	
<b>5balt 3</b>	$\bar{x} = 5a$ from $B$	B1	Or equivalent. Seen or implied Might be seen in (a) but needs to be used here.
	If $O$ is c of m, find coordinates of point of intersection between the line $AO$ and the perpendicular line through $B$	M1	Relative to $B$ : $A(2.5a, 6a), O(5a, 1.75a)$ $\Rightarrow AO: y = -1.7x + 10.25a$ If perpendicular through $B$ intersects $AO$ at $L$ , $\Rightarrow BL: y = \frac{10}{17}x \Rightarrow L\left(\frac{3485}{778}, \frac{1025}{389}\right)$
	Correct method to find the required angle	M1	e.g. $\sin \theta = \frac{BL}{BA}$
	Correct unsimplified expression in $\theta$	A1	$= \frac{\sqrt{\left(\frac{3485}{778}\right)^2 + \left(\frac{1025}{389}\right)^2}}{6.5}$
	$\theta = 53$	A1	Q asks for a whole number
		(5)	
			See over for alternative

<b>5balt 4</b>	$\bar{x} = 5a$ from $B$	B1	Or equivalent. Seen or implied Might be seen in (a) but needs to be used here.
	If $O$ is c of m, find coordinates of point of intersection between the line $AB$ and the perpendicular line through $O$	M1	$AB : y = \frac{12}{5}x$ If perpendicular through $O$ intersects $AB$ at $H$ , $OH : y = -\frac{5}{12}x + \frac{23}{6}$ , $H\left(\frac{230}{169}, \frac{552}{169}\right)$
	Correct method to find the required angle	M1	e.g. $\sin \theta = \frac{OH}{OA}$
	Correct unsimplified expression in $\theta$	A1	$\frac{205}{52} / \sqrt{\frac{389}{16}}$
	$\theta = 53$	A1	Q asks for a whole number
		<b>[10]</b>	

QUESTION NUMBER	SCHEME	MARKS
<b>3</b>	Accept column vectors throughout this question	
<b>3(a)</b>	Complete method to find greatest height ( $h$ ) e.g. $0 = 14^2 + 2(-g)h$	M1
	$h = 10$	A1
		(2)
<b>3(b)</b>	Vertical component $v = 14 - g(2.4)$	M1
	Use Pythagoras to find $\text{Speed} = \sqrt{8^2 + (14 - 2.4g)^2}$	M1
	$12.4 \text{ or } 12 \text{ (ms}^{-1}\text{)}$	A1
		(3)
<b>3(c)</b>	Relevant equation in $t$ formed using vertical motion. e.g. $3 = 14t + \frac{1}{2}(-g)t^2$	M1 A1
	Use Horizontal motion to find the required distance $8t$	M1
	$8 \times 2.6..$	A1
	$21 \text{ or } 21.0 \text{ (m)}$	A1
		(5)
	<b>ALT method</b> forming trajectory equation	
	Relevant equation in $t$ and $y$ formed using vertical motion. $y = 14t - \frac{1}{2}gt^2$	M1
	Form relevant horizontal equation in $x$ and $t$ $x = 8t$	M1
	Eliminate $t$ to form correct equation in $x$ and $y$ $y = 14 \times \frac{x}{8} - \frac{1}{2}g\left(\frac{x}{8}\right)^2$	A1
	Substitute $y=3$ into correct equation and solve for $x$	A1
	$21 \text{ or } 21.0 \text{ (m)}$	A1
		(5)
	<b>ALT method</b> using Energy	
	Vertically: $\frac{1}{2}(m)(14^2 - v^2) = 3(m)g$	M1
	Form vertical suvat equation in their $v$ and $t$ $v = 14 - gt$	M1
	$\sqrt{\frac{686}{5}} = 14 - gt$	A1

	8x2.6...	A1
	21 or 21.0 (m)	A1
		(5)
		<b>(10)</b>
	<b>Notes for question</b>	
<b>3(a)</b>		
<b>M1</b>	Complete method to find greatest height. Condone sign errors.	
<b>A1</b>	cao	
<b>3(b)</b>		
<b>M1</b>	Complete method to find the vertical component at $t=2.4$ Condone sign errors.	
<b>M1</b>	Use of Pythagoras with both components to find speed	
<b>A1</b>	Correct answer, 2/3sf	
<b>3(c)</b>		
<b>M1</b>	Relevant equation formed using vertical motion. Condone sign errors.	
<b>A1</b>	Correct unsimplified equation(s). (Note $t = 2.62$ (3sf) but does not need to be seen for this mark)	
<b>M1</b>	Use horizontal motion to find the required distance	
<b>A1</b>	Uses 'larger' $t=2.6...$ to calculate distance $AB$	
<b>A1</b>	Correct answer with 2 or 3sf. Accept 21, 21.0.	
	<b>Alt method Trajectory Enter marks in correct M and A spaces</b>	
<b>M1</b>	Relevant equation formed in $t$ and $y$ using vertical motion.	
<b>M1</b>	Form relevant horizontal equation in $x$ and $t$	
<b>A1</b>	Eliminate $t$ to form correct equation in $x$ and $y$	
<b>A1</b>	Substitute $t=3$ into correct equation and solve for $x$	
<b>A1</b>	Correct answer with 2 or 3sf. Accept 21, 21.0.	
	<b>Alt method Energy</b>	
<b>M1</b>	Form (vertical) energy equation, $m$ 's may have been cancelled and $8^2$ may have been added to both velocity parts	
<b>M1</b>	Form vertical suvat equation in their $v$ and $t$	
<b>A1</b>	Substitute correct value for $v$ ( $\sqrt{\frac{686}{5}}=11.71..$ ) and solve for $t$	
<b>A1</b>	Uses $t=2.62...$ to calculate distance $AB$	
<b>A1</b>	Correct answer with 2 or 3sf. Accept 21, 21.0.	

5a	Impulse-momentum equation.	M1	Dimensionally correct. Subtraction seen or implied. Condone subtraction in wrong order.
	$(\pm \mathbf{I} =)$ $2(\lambda \mathbf{i} + \lambda \mathbf{j}) - 2(4\mathbf{i}) = (2\lambda - 8)\mathbf{i} + 2\lambda \mathbf{j}$	A1	Or equivalent Ignore $4\sqrt{10}$ if seen here
	$( \mathbf{I} ^2 =) 160 = (2\lambda - 8)^2 + (2\lambda)^2$	DM1	Use of Pythagoras to obtain an equation in $\lambda$ Dependent on the previous M1
	$(\Rightarrow 0 = \lambda^2 - 4\lambda - 12)$	A1	Or any correct unsimplified equation in $\lambda$
	$\Rightarrow (\lambda =) 6$	A1	Correct only.
SC Allow 5/5 in (a) if working with <b>-I</b> . They will lose marks later.			
		[5]	
5a alt	Form vector triangle for impulse or for momentum.	M1	Dimensionally correct. Must be subtracting. Condone subtraction in wrong order.
	Correct triangle	A1	 e.g.
	$160 = 64 + 8\lambda^2 - 32\sqrt{2}\lambda \times \frac{1}{\sqrt{2}}$	DM1	Use of Cosine Rule to obtain an equation in $\lambda$ Dependent on the previous M1
	$\Rightarrow 0 = 8\lambda^2 - 32\lambda - 96$	A1	Or equivalent equation in $\lambda$
	$\Rightarrow (\lambda =) 6$	A1	Correct only
		[5]	
5b	$\mathbf{I} = 4\mathbf{i} + 12\mathbf{j}$	B1ft	Follow their $\lambda$ $(\mathbf{I} = (2\lambda - 8)\mathbf{i} + 2\lambda \mathbf{j})$ B0 for a column vector. B0 if still in terms of lambda. Ignore second solution for negative lambda if seen
		[1]	
5c	$\tan \theta^\circ = \frac{12}{4}$ or $\cos \theta^\circ = \frac{16}{4 \times 4\sqrt{10}}$	M1	Correct use of trig or scalar product for the required angle with <i>their</i> $\mathbf{I}$ provided both components are non-zero Do not allow for the reciprocal
	$\theta = 72$	A1	72 or better (71.56505...) from correct work only Ignore second solution for negative lambda if seen
		[2]	

Question Number	Scheme	Marks
<b>2a</b>	Equation of motion: $F + 1000g \sin \theta + 250g \sin \theta - 300 - 100 = 1250a$	M1A2
	$F + 612.5 - 400 = 1250a = 250$	
	$F = 37.5 \text{ (N)}$	M1
	Power = $Fv = 37.5 \times 25 = 940 \text{ W to 2 s.f. (938 W)}$	M1A1
		(6)
<b>2b</b>	Motion of trailer: $T - 100 + 250g \sin \theta = 250a$	M1A2
	$T = 27.5 \text{ (N) or } 28 \text{ (N)}$	A1
		(4)
<b>Alt 2b</b>	Motion of car: $F + 1000g \sin \theta - T - 300 = 1000a$	M1A2 ft
	$T = 27.5 \text{ (N) or } 28 \text{ (N)}$	A1
		(4)
		[10]

#### Notes on Question 2

##### **Question 2(a)**

(Deduct only 1 mark in **whole question** for not giving an answer to either 2 sf or 3 sf, following use of  $g = 9.8$ , or for use of  $g = 9.81$ ) **Deduct the final A mark in whichever part of the question it first occurs.**

**N.B.** Use the value of the mass (1250, 1000 or 250) that is used in an equation to decide which part of the system the equation is for.

First M1 for  $F = ma$  along the plane (up or down) for whole system, with usual rules ; allow even if  $a$  nor  $\sin \theta$  substituted, to produce an equation in  $F$  only (i.e. no  $T$  terms) **N.B.** They could use the equation(s) for the car and trailer to either find or eliminate  $T$  to produce this equation.

First A2 for the equation. (-1 each error.) Omission of  $g$  is an A error.

**N.B.** If they group two terms together in the whole system equation, penalise any errors for each part e.g.  $+ 400$  for the resistance would count as 2 errors ( $+ 100$  and  $+300$ )

or  $1250\sin \theta$  for the combined weight component would count as 2 errors ( $g$  omitted twice)

Second M1 (independent) for producing a value for  $F$

Third M1 for (their  $F \times 25$ )

Third A1 for 940 (w) or 938 (w) oe.

##### **Question 2(b)**

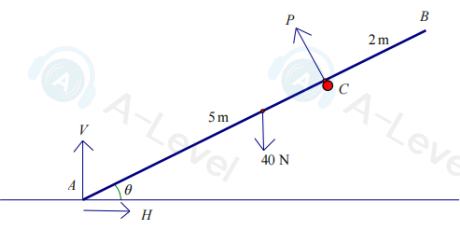
**N.B.** Use the value of the mass (1250, 1000 or 250) that is used in an equation to decide which part of the system the equation is for.

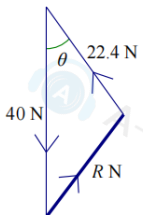
First M1 for  $F = ma$  along the plane (up or down) for either car or trailer, with usual rules ; allow even if  $a$  nor  $\sin \theta$  (nor  $F$  in car equation) substituted

First A2 for the equation. (-1 each error.) (**ft** on their  $F$ )

Third A1 for 28 (N) or 27.5(N)

Question Number	Scheme	Marks	Notes
<b>6a</b>	Taking moments about $A$ :	M1	Requires all terms - condone trig confusion and sign errors
	$bF = 3mga \cos \theta + mg \times 2a \cos \theta$	A2	-1 each error
	$bF = 5mga \cos \theta \quad F = \frac{5mga}{b} \cos \theta$	A1 (4)	<b>*Given answer*</b>
<b>6b</b>	Component of $\mathbf{R}$ parallel to $AB$ : $(R \cos(\phi - \theta))$	M1	Requires all terms - condone trig confusion
	$= 3mg \sin \theta + mg \sin \theta = 4mg \sin \theta$	A1	Correct unsimplified
	Component of $\mathbf{R}$ perpendicular to $AB$ :	M1	Requires all terms - condone consistent trig confusion and sign errors
	$(R \sin(\phi - \theta)) + F = 4mg \cos \theta$	A1	Correct unsimplified
	Alternatives for M1A1: $M(B)$		$2aR \sin(\phi - \theta) + 3mga \cos \theta = F(2a - b)$
	$M(C)$		$bR \sin(\phi - \theta) + (2a - b)mg \cos \theta = 3mg(b - a) \cos \theta$
	$(R \sin(\phi - \theta)) = 4mg \cos \theta - \frac{5mga}{b} \cos \theta$	A1	Correct with $F$ substituted.
	ISW for incorrect work after correct components seen	(5)	
<b>6c</b>	Use of $R \sin(\phi - \theta) > 0$	M1	
	Solve for $b$ in terms of $a$ : $4 > \frac{5a}{b}, (2a \geq)b > \frac{5}{4}a$	A1 (2)	$2a$ not required CSO
		[11]	
<b>SC</b>	Misread of directions in (b)		NB This MR can score full marks
<b>6(b)</b>	$X = F \sin \theta = \frac{5mga}{b} \cos \theta \sin \theta$	M1	Allow with $F$ . Requires all terms - condone trig confusion
		A1	$F$ substituted.
	$Y = 4mg - F \cos \theta = 4mg - \frac{5mga}{b} \cos^2 \theta$	M1	Allow with $F$ . Requires all terms - condone trig confusion and sign errors.
		A1	Correct unsimplified
		A1	Correct substituted
<b>6(c)</b>	For $\phi > \theta$ , $\tan \phi > \tan \theta$		
	$\tan \phi = \frac{Y}{X} = \frac{4 - \frac{5a}{b} \cos^2 \theta}{\frac{5a}{b} \cos \theta \sin \theta} > \tan \theta$	M1	
	$4 - \frac{5a}{b} \cos^2 \theta > \frac{5a}{b} \sin^2 \theta$		
	$4 > \frac{5a}{b} (\cos^2 \theta + \sin^2 \theta) \Rightarrow b > \frac{5}{4}a$	A1	CSO

6a			
	Moments about A:	M1	Dimensionally correct. Condone sine / cosine confusion
	$5P = 40 \times \frac{7}{2} \cos \theta$	A1	Correct unsimplified equation
	$P = 22.4$ *	A1*	Obtain <b>given answer</b> from correct working. Need to see evidence of $\cos \theta = \frac{4}{5}$
		[3]	
6b	Two equations required. M1A1 for the first equation seen, M1A1 for the second equation. If more than 2 equations mark the two equations used to obtain the resultant, or the best 2 if they do not go on to find the resultant.		
	First equation	M1	e.g. Resolve horizontally Condone sine / cosine confusion
	$H = P \sin \theta (= 13.44)$	A1	Correct unsimplified equation
	Second equation	M1	e.g. Resolve vertically Condone sine / cosine confusion
	$V + P \cos \theta = 40 (V = 22.08)$	A1	Correct unsimplified equation
	$ R  = \sqrt{H^2 + V^2}$	DM1	solve for $ R $ Dependent on the 2 preceding Ms
	$ R  = 26 \text{ (N)}$	A1	Or better (25.84879.....) Accept $\frac{24\sqrt{29}}{5}$
		[6]	
	<a href="#">Two alternatives on following page</a>		

6balt	First equation	M1	e.g. Resolve parallel Condone sine / cosine confusion
	$X = 40 \sin \theta (= 24)$	A1	Correct unsimplified equation
	Second equation	M1	e.g. Resolve perpendicular Condone sine / cosine confusion
	$Y + P = 40 \cos \theta (Y = 9.6)$	A1	Correct unsimplified equation
	$ R  = \sqrt{X^2 + Y^2}$	DM1	solve for $ R $ Dependent on the 2 preceding Ms
	$ R  = 26 \text{ (N)}$	A1	Or better (25.84879.....) Accept $\frac{24\sqrt{29}}{5}$
		[6]	
	Alternative equations: $M(C) \quad 40 \times 1.5 \cos \theta + H \times 5 \sin \theta = V \times 5 \cos \theta$ $M(B) \quad 2P + 7 \cos \theta \times V = 7 \sin \theta \times H + 3.5 \times 40 \cos \theta$ $M(G) \quad 1.5P + 3.5 \sin \theta \times H = 3.5 \cos \theta \times V$		
6balt		M1	3 force diagram seen or implied
		A1	Forces and angle in correct positions
	Use Cosine Rule	M1	Correct formula used
	$( R )^2 = 40^2 + 22.4^2 - 2 \times 40 \times 22.4 \cos \theta$	A1	Correct unsimplified equation
	Substitute for trig and solve for $ R $	DM1	Dependent on the 2 preceding Ms
	$ R  = 26 \text{ (N)}$	A1	Or better (25.84879.....) Accept $\frac{24\sqrt{29}}{5}$
		[6]	
		(9)	

Question Number	Scheme	Marks	Notes
<b>3(a)</b>	$N = 4g \cos 40^\circ (= 30.028\dots)$		
	$F = 0.5 \times 4g \cos 40^\circ$	M1	Use of $F = \mu N$ where $N$ is a resolved component of $4g$ . Condone sin/cos confusion
	Work done = $12 \times 0.5 \times 4g \cos 40^\circ$	M1	Their $F \times 12$
	$(= 180.17\dots) = 180 \text{ J}$	A1	Max 3 s.f.
		(3)	
<b>(b)</b>	Work done + Final KE = Initial KE + GPE	M1	Must be using W.E. Need all terms. Condone sign errors. Terms must be dimensionally correct. Condone sin/cos confusion
	Their WD + $\frac{1}{2} \times 4 \times 24^2$ $= \frac{1}{2} \times 4u^2 + 4g \times 12 \sin 40^\circ$ follow their WD	A1ft	At most one error Incorrect sign(s) is one error.  ( $4g \times 12 \sin 40 = 302.367\dots$ )
		A1ft	Correct unsimplified (for their WD)
	$u (= 22.691\dots) = 23 \text{ or } 22.7 \text{ m s}^{-1}$	A1	Max 3 s.f.
		(4)	
		[7]	

Question Number	Scheme	Marks
<b>1a</b>	$v = \int a dt = \int 2t - 3 dt = t^2 - 3t (+C)$	M1A1
	$t = 0, v = 2 \Rightarrow C = 2 \quad v = t^2 - 3t + 2$	M1A1
		(4)
<b>1b</b>	$v = 0$	M1
	$(t-1)(t-2) = 0$	M1
	$t_1 = 1, t_2 = 2$	A1
		(3)
<b>1c</b>	$s = \int_1^2 t^2 - 3t + 2 dt = \left[ \frac{1}{3}t^3 - \frac{3}{2}t^2 + 2t \right]_1^2$	M1A1
	$= \left( \frac{8}{3} - 6 + 4 \right) - \left( \frac{1}{3} - \frac{3}{2} + 2 \right) \quad \text{or} \quad = \frac{1}{3}(8-1) - \frac{3}{2}(4-1) + 2(2-1)$	DM1
	Distance = $\frac{1}{6}$ , 0.17 or better (m) (must be positive)	A1
		(4)
[11]		

#### Notes for Question 1

##### **Question 1(a)**

First M1 for attempt to integrate (one power increasing by 1)

N.B. They may use definite integrals:  $\int_2^v dv = \int_0^t 2t - 3 dt$

First A1 for a correct integral, without  $c$

Second M1 for using  $t=0, v=2$  to find a  $c$  value or substituting their limits

Second A1 for answer. (' $v$ ' not needed)

##### **Question 1(b)**

First M1 for setting their  $v$  expression equal to zero.

Second M1 for solving for  $t$  (must be a quadratic) (This mark can be implied by two correct answers)

A1 for both answers.

##### **Question 1(c)**

First M1 for attempt to integrate their  $v$  (all powers increasing by 1)

First A1 for a correct integral (**NOT ft**), without  $c$

Second M1, **dependent on first M1**, for substituting their  $t$  values and subtracting (either way round)

Second A1 for answer (must be positive) ; accept 0.17 or better.

**N.B.** If they go on and add or subtract some other distance it's M0.

Question Number	Scheme	Marks
<b>3a</b>	Use of $P = Fv$ : $F = \frac{180}{4}$	B1
	Equation of motion: $F - R = 75 \times 0.2$	M1
	Equation in $R$ : $\frac{180}{4} - R = 75 \times 0.2$ ( $45 - R = 15$ )	<b>DM1</b>
	$R = 30$	A1
		(4)
<b>3b</b>	Equation of motion: $D - 75g \sin \theta - R = 0$	M1
	$\frac{180}{v} - 75 \times g \times \frac{1}{21} - \text{their } R = 0$	A2 ft
	$v = 2.77$ or $2.8$	A1
		(4)
		[8]
<b>Notes for Qu3</b>		
	<p><b>3(a)</b></p> <p>B1 for <math>F = \frac{180}{4}</math> seen</p> <p>First M1 for equation of motion with usual rules, <math>F</math> does not need to be substituted</p> <p>Second M1, dependent on first M1, for an equation in <math>R</math> only with usual rules</p> <p>A1 for <math>R = 30</math></p>	
	<p><b>3(b)</b></p> <p>M1 for equation of motion with usual rules but none of <math>D</math>, <math>\sin \theta</math> nor <math>R</math> need to be substituted</p> <p>A2 ft for a correct equation, in <math>v</math> only, ft on their <math>R</math></p> <p>A1A0 if one error</p> <p>Third A1 for 2.77 or 2.8 (<b>Only</b> answers)</p>	

Question Number	Scheme	Marks
3a	Moments about A: $W \times 2a \cos 30 = T \cos 60 \times 2.5a$	M1A1
	$T = \frac{2W\sqrt{3}/2}{2.5 \times 1/2} = \frac{4W\sqrt{3}}{5}$ ANSWER GIVEN	A1
		(3)
3b	Horizontally: $(H =) \pm T \cos 60$	M1A1
	Vertically: $(V =) \pm (W - T \cos 30)$	M1A1
	$ R  = \frac{W}{5} \sqrt{1+12} = \frac{\sqrt{13}}{5} W$ (0.72W or better)	DM1A1
		(6)
	<b>OR: Components along the rod (X) and perpendicular to the rod (Y)</b>	
	$\pm X = T \cos 30 - W \cos 60$ ( $= \frac{7W}{10}$ )	M1A1
	$\pm Y = W \cos 30 - T \cos 60$ ( $= \frac{\sqrt{3}W}{10}$ )	M1A1
	$ R  = \frac{W}{10} \sqrt{49+3} = \frac{\sqrt{13}}{5} W$ oe	DM1A1
		(6)
		[9]

#### Notes on Question 3

**Question 3(a) N.B.** Extra g's are A errors not M errors.

First M1 is for producing an equation in  $T$  and  $W$  only, usually by taking moments about  $A$  (condone consistent missing 'a' s).

First A1 for a correct equation; trig ratios do not need to be evaluated.

Second A1 for **the given answer correctly obtained** (trig ratios do need to be evaluated in surd form but allow cancelling of 2's)

#### Question 3(b)

First M1, with usual rules, for producing horizontal cpt; could be  $X =$  or  $R \cos \alpha =$  in terms of  $T$  and/or  $W$  only. (N.B. They may use 2 equations to do this)

First A1 for a correct expression ( $T$  does not need to be substituted)

Second M1, with usual rules, for producing vertical cpt; could be  $Y =$  or  $R \sin \alpha =$  in terms of  $T$  and/or  $W$  only (N.B. They may use 2 equations to do this)

Second A1 for a correct expression ( $T$  does not need to be substituted)

Third M1, **dependent on previous two M's**, for solving for  $R$  in terms of  $W$  only, usually squaring and ADDING and square rooting

Third A1 for  $(W\sqrt{13})/5$  or  $0.72W$  or better

#### Alternative using Triangle of Forces:

First M1 for attempt at cos rule:  $R^2 = W^2 + T^2 - 2TW \cos 30^\circ$

First A1 if correct

Second M1 for substituting for  $T$  and  $\cos 30^\circ$  (either surd or decimal)

Second A1 for a correct equation

Third M1, dependent on previous two M's, for solving for  $R$

Third A1 for  $(W\sqrt{13})/5$  or  $0.72W$  or better

